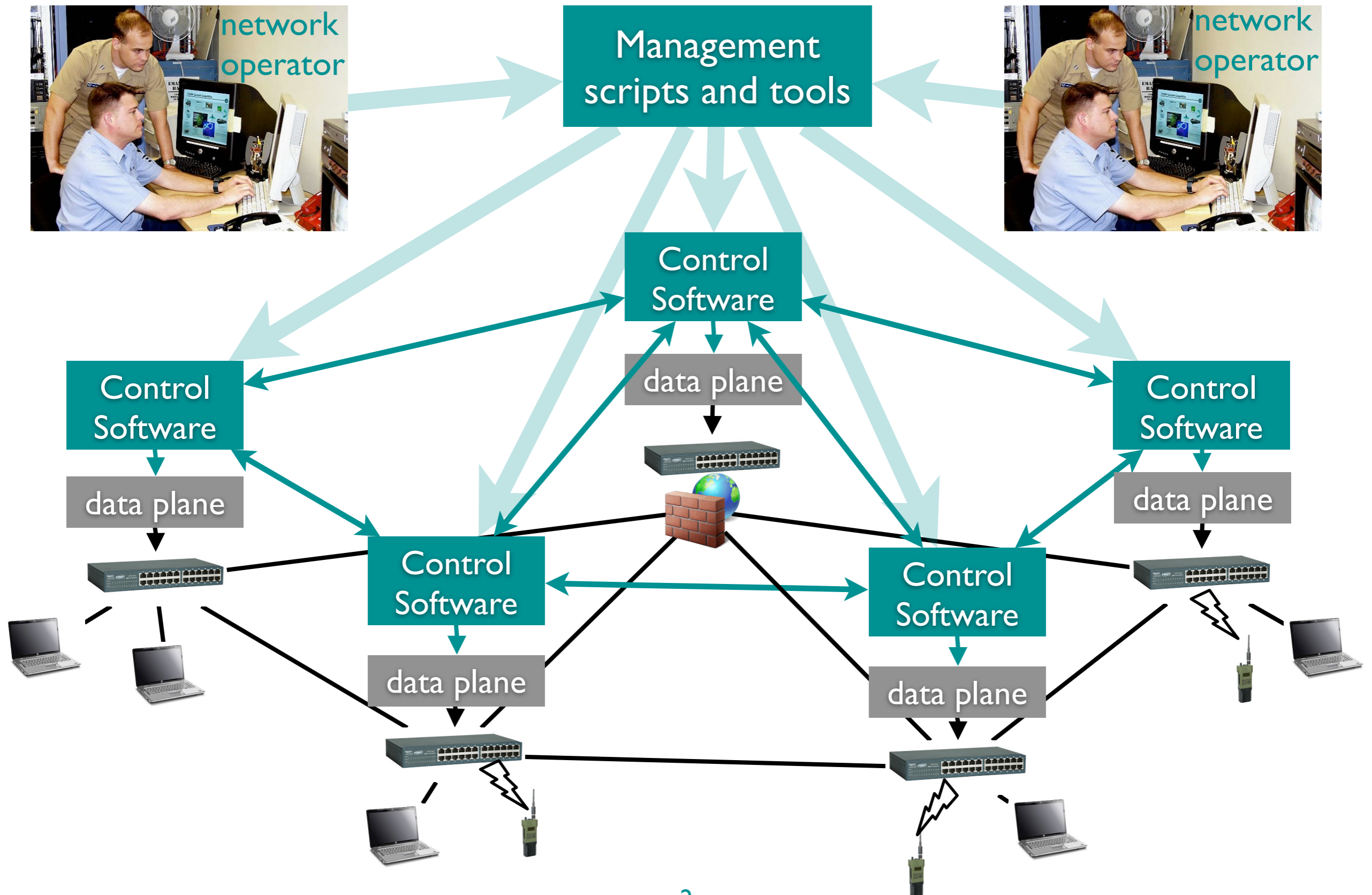


Automated Synthesis of Reactive Controller for Software-defined Networks

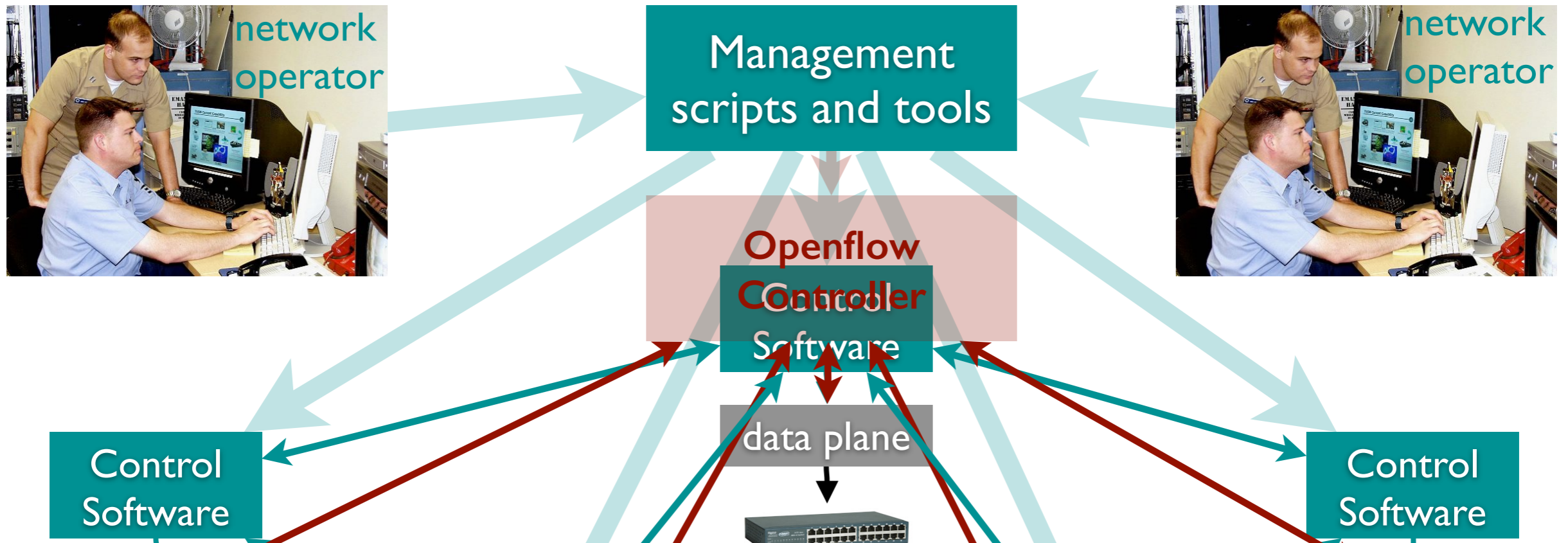
Anduo Wang Salar Moarref
Ufuk Topcu Boon Thau Loo Andre Scedrov

University of Pennsylvania

Networks are complicated

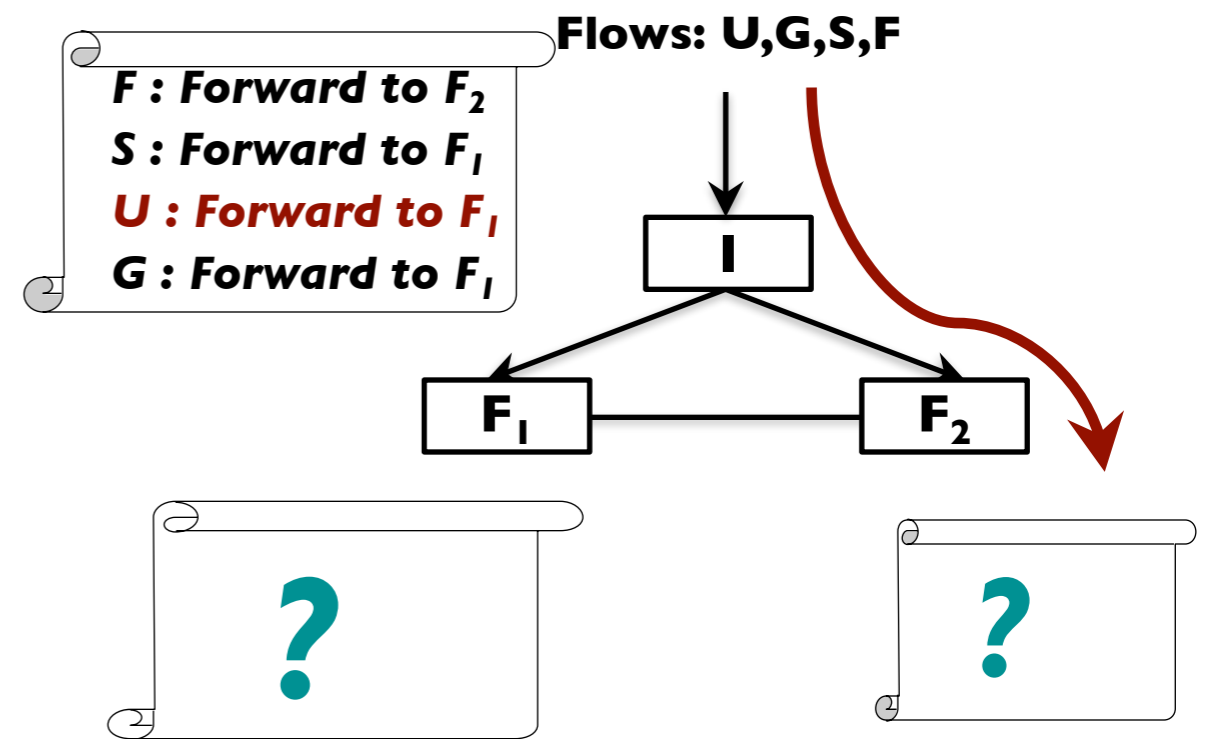
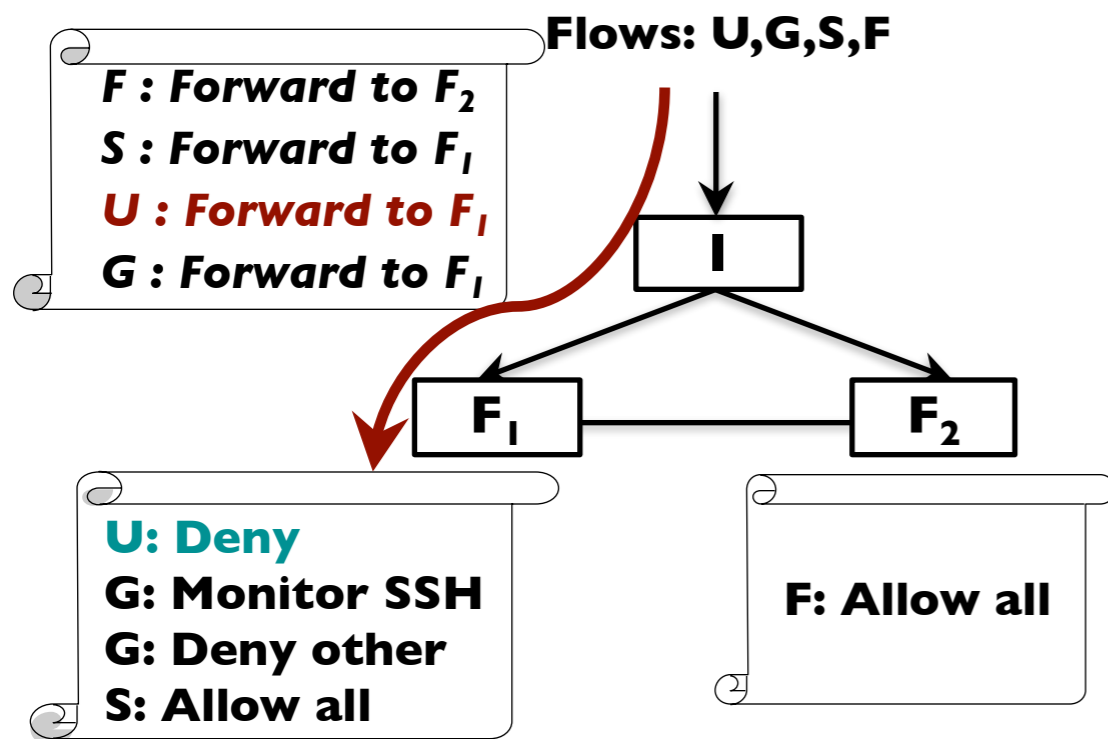


Management in Software-Defined Network



- *SDN* eases *enforcing* control logic
- But constructing a control logic is ... still Manual, low-level, hidden dependencies, silent failures
- *Lacking* rigorous and scalable management tool

Example problem: constructing access control



Switches: I (ingress), $F_{1,2}$ (for two servers)

Flows: U (untrusted), G(guest), S(student), F(faculty)

Security policy: do not allow U flows to transit

Routing path changes

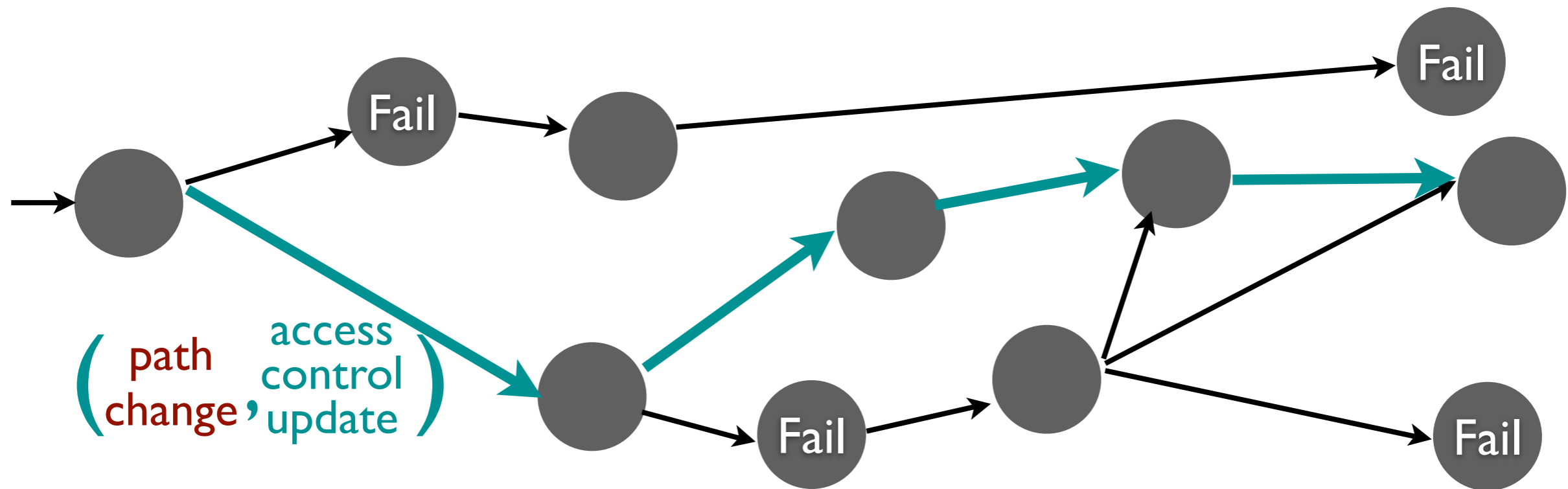
How to update access control

- Find a strategy for updating access control rules
 - Enforce security policy for all path changes
- Given a strategy, find an ordering of rule updates
 - Enforce security policy for all transient states

Outline

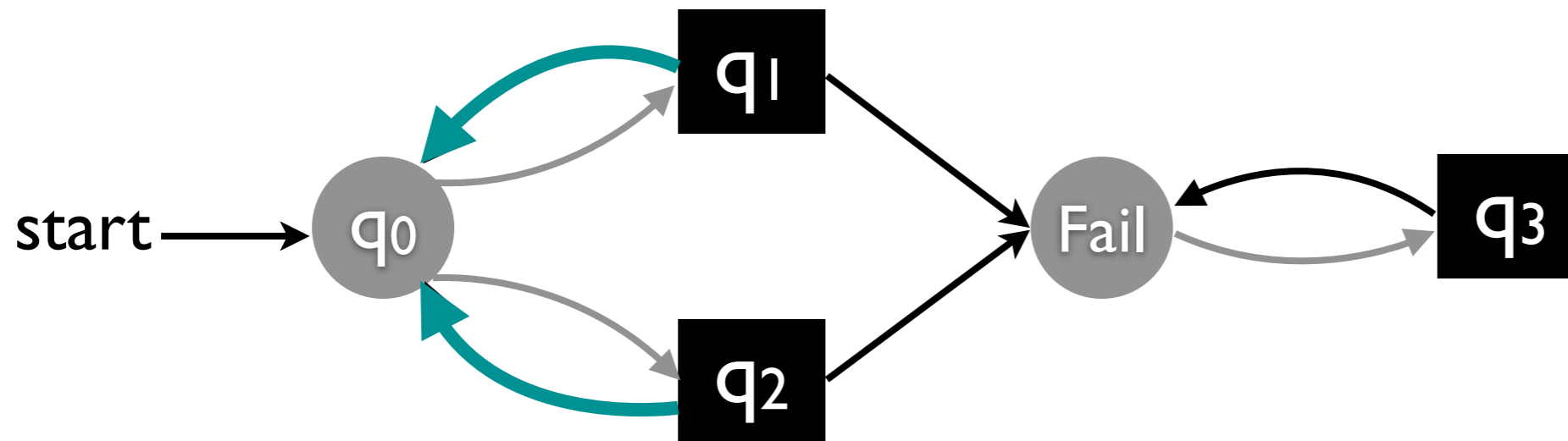
- Synthesize provably correct control logic
 - Formulate and solve as a reactive synthesis problem
- Scale by network abstraction
 - Introduce network abstraction as simulation relation

Synthesize access-control for example problem



- Formulate as reactive synthesis -- a two-player, temporal logic game
 - **Routing path rule (player 1)** triggers a change, **access-control (player 2)** makes an update in response
 - Temporal property specifies security policy
 - A winning strategy for access-control enforces security policy against any path change

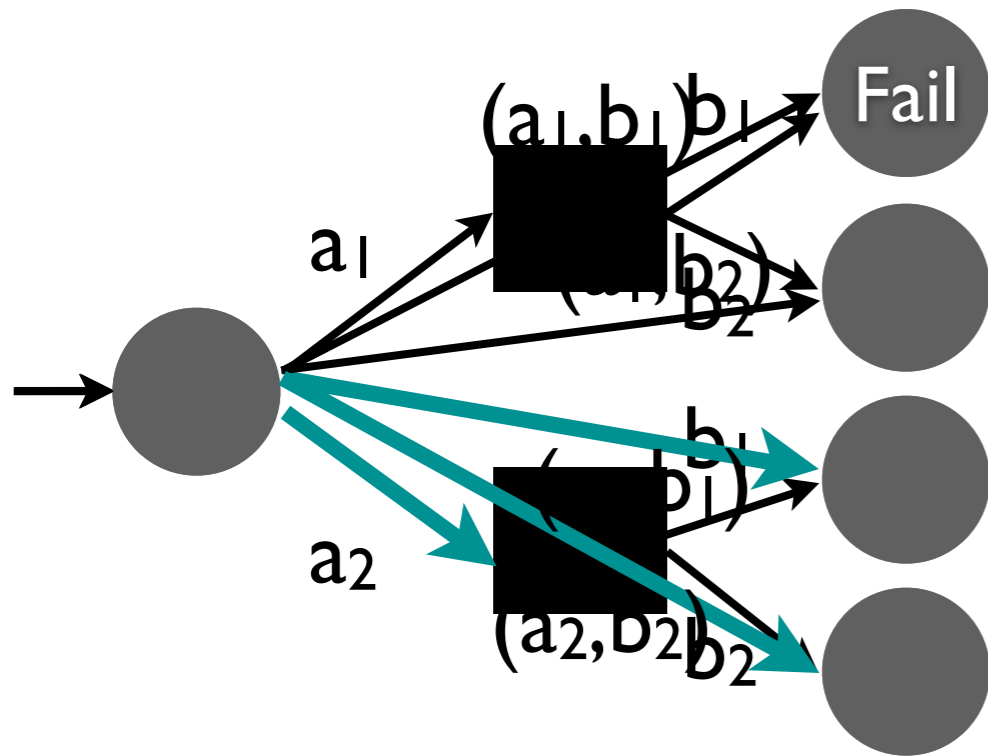
Background: two player, temporal logic game



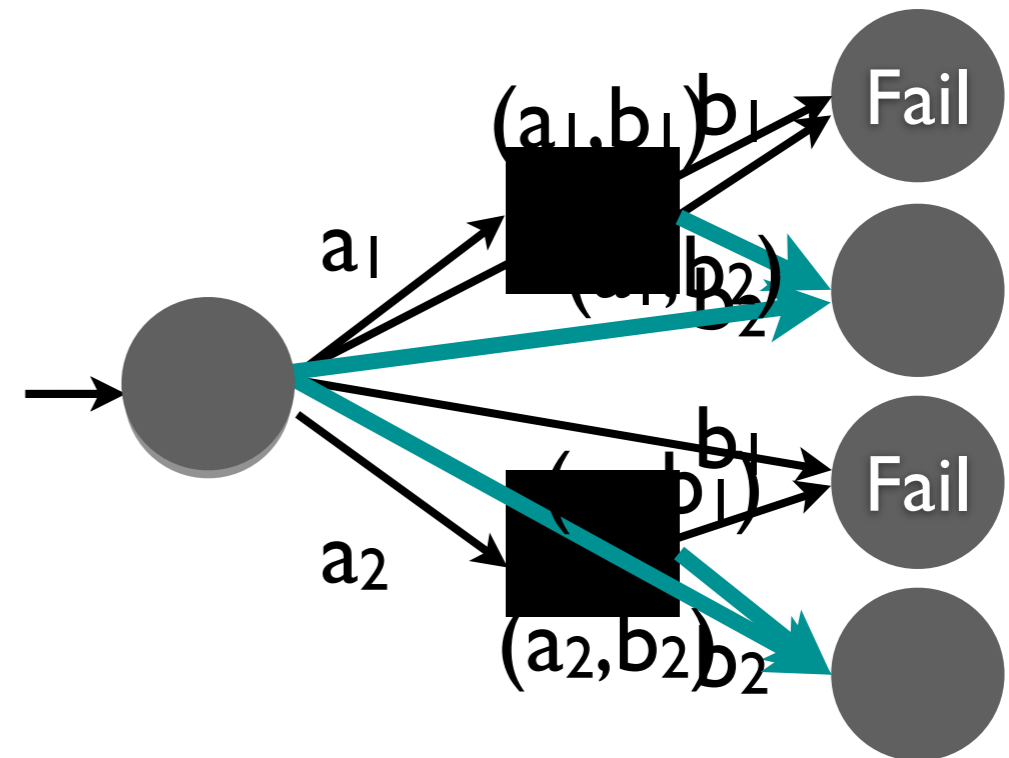
- Two players make alternating moves
 - Circle (Square) represents two player states $Q_1(Q_2)$
- Temporal logic specifies player's goal
 - Never enter Fail state: $\square(\neg\text{Fail})$
- Synthesize a winning strategy
 - Q_2 avoids Fail state regardless how Q_1 moves

Synthesis -- two player, temporal logic game

Combine alternating transitions into a joint action



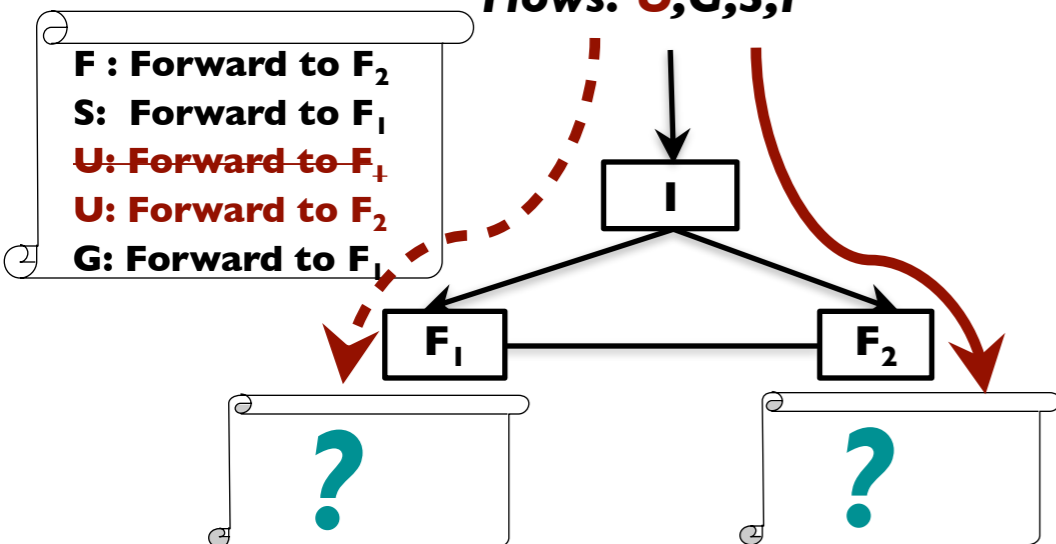
Circle has a winning strategy (a_2, b_1) (a_1, b_2)
 Square has no winning strategy



Square has a winning strategy (a_1, b_2) (a_2, b_1)
 Circle has no winning strategy

Example: synthesize access-control

Flows: **U,G,S,F**

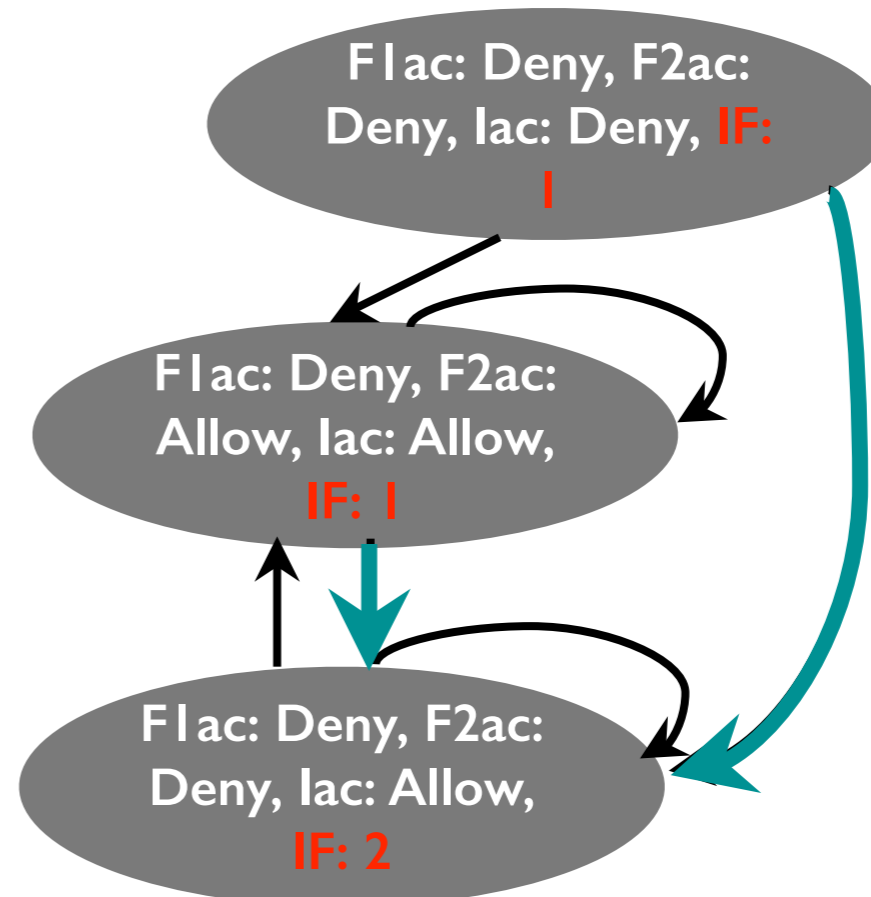


- **Input**

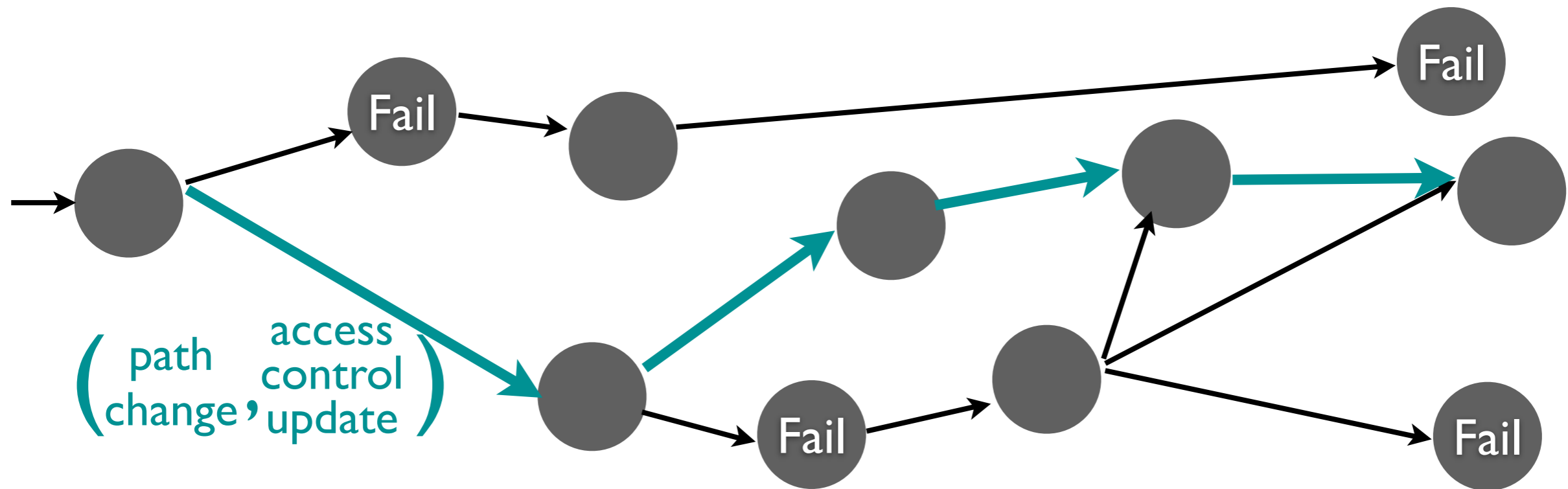
- Two player variables, system transitions, security invariant

- **Output**

- A strategy with finite memory



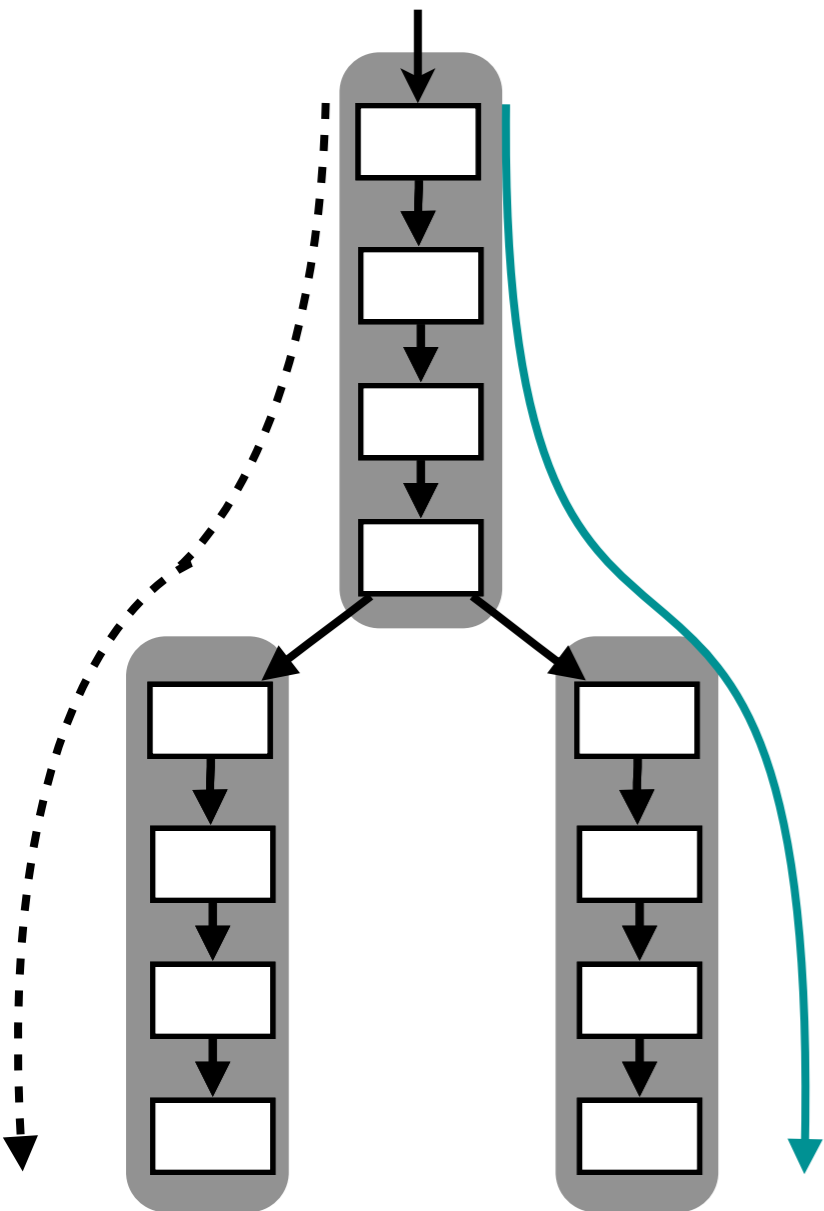
Synthesis is hard



- Synthesis for general temporal property is hard
 - (Relative) efficient for some properties
 - Safety (always avoid P), response (if P_1 then P_2), persistence (eventually stay at P), recurrence (infinitely often P)
- Need scaling technique ...

Scaling by abstraction

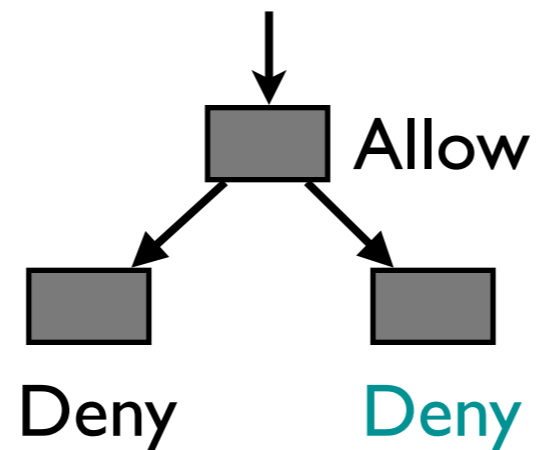
Large network A



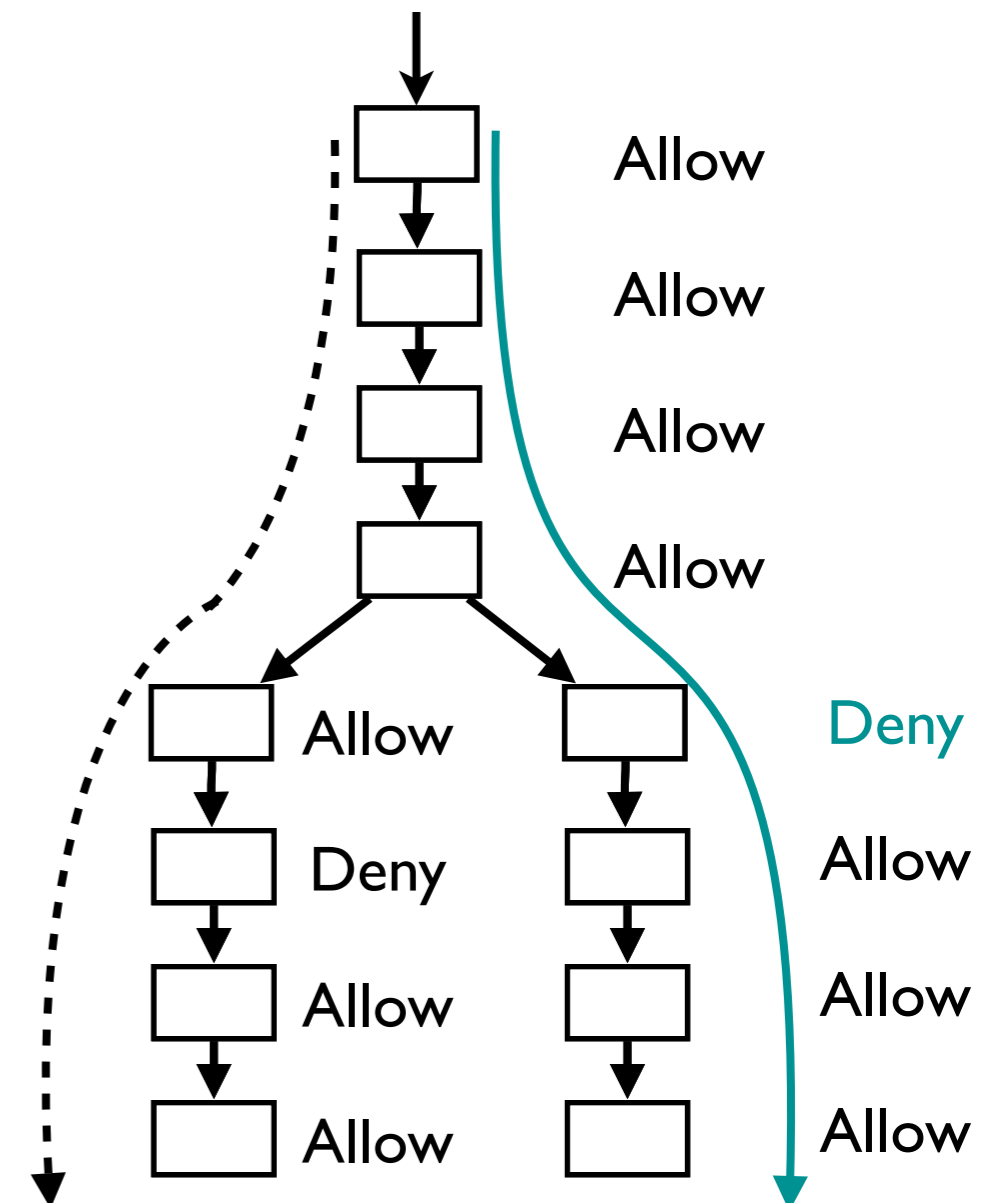
Network abstraction

Smaller network B that simulates A

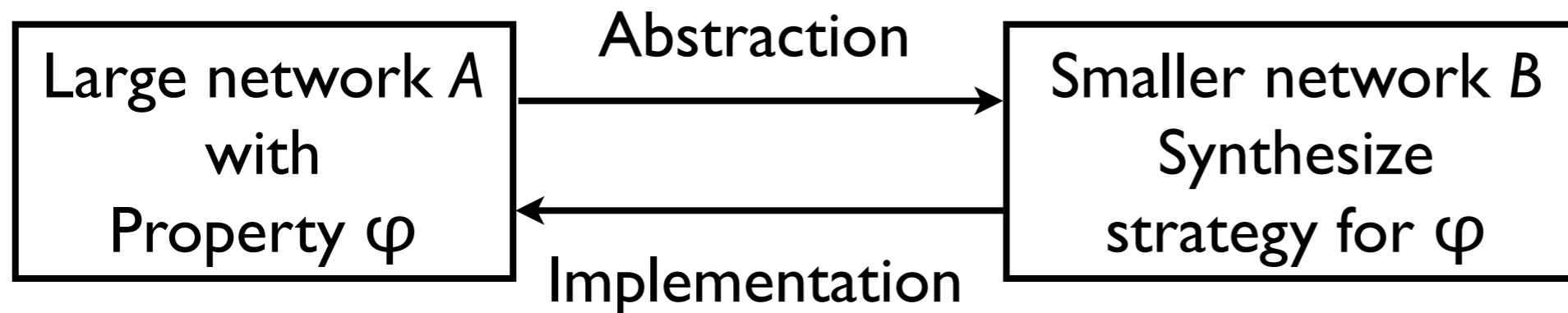
Perform synthesis on abstract network



Implement synthesized solution on original network



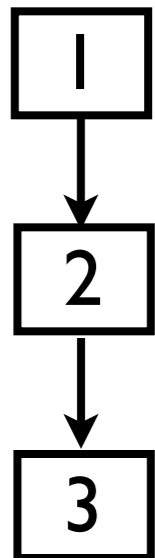
Synthesis by abstraction



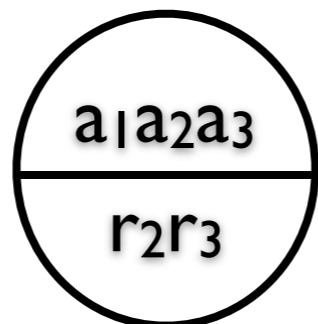
- Introduce network abstraction by simulation relation
- Simulation is a relation $R : A \rightarrow B$
 - Model A, B by transition system with observation
 - R maps states and transition in A to that in B with same observation
- Simulation R ensures φ synthesized for B is also preserved in A

Transition system model

- Transition system (V_0, V, T, O, H) for a network
 - Network states V (initial V_0), observable outputs O
 - Network transitions $T \subseteq V \times V$
 - Output function $H: V \rightarrow O$ maps each network state to its observable behavior relevant in synthesis



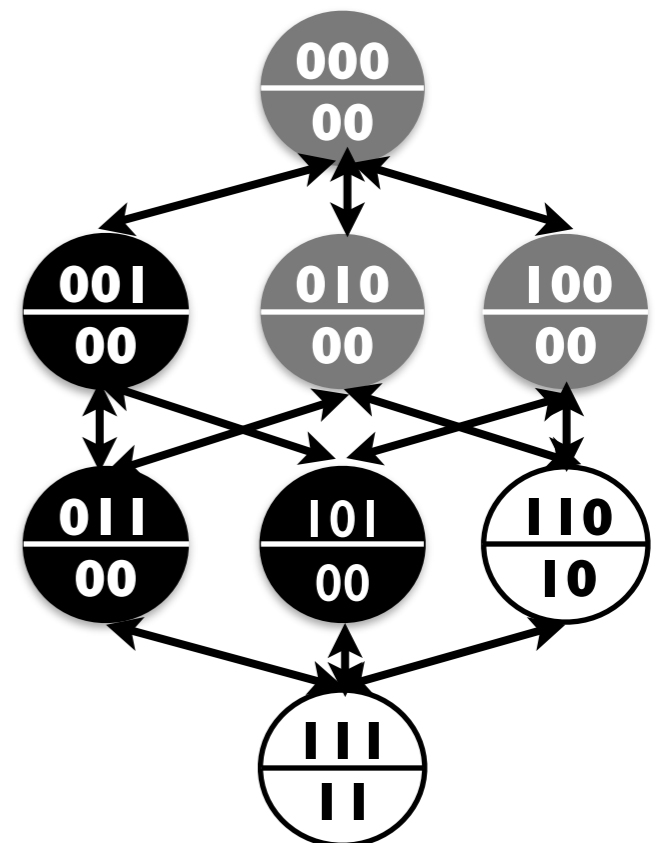
Network



V : a_1, a_2, a_3 are access control for 1,2,3

O : r_2, r_3 are reachability for 2,3

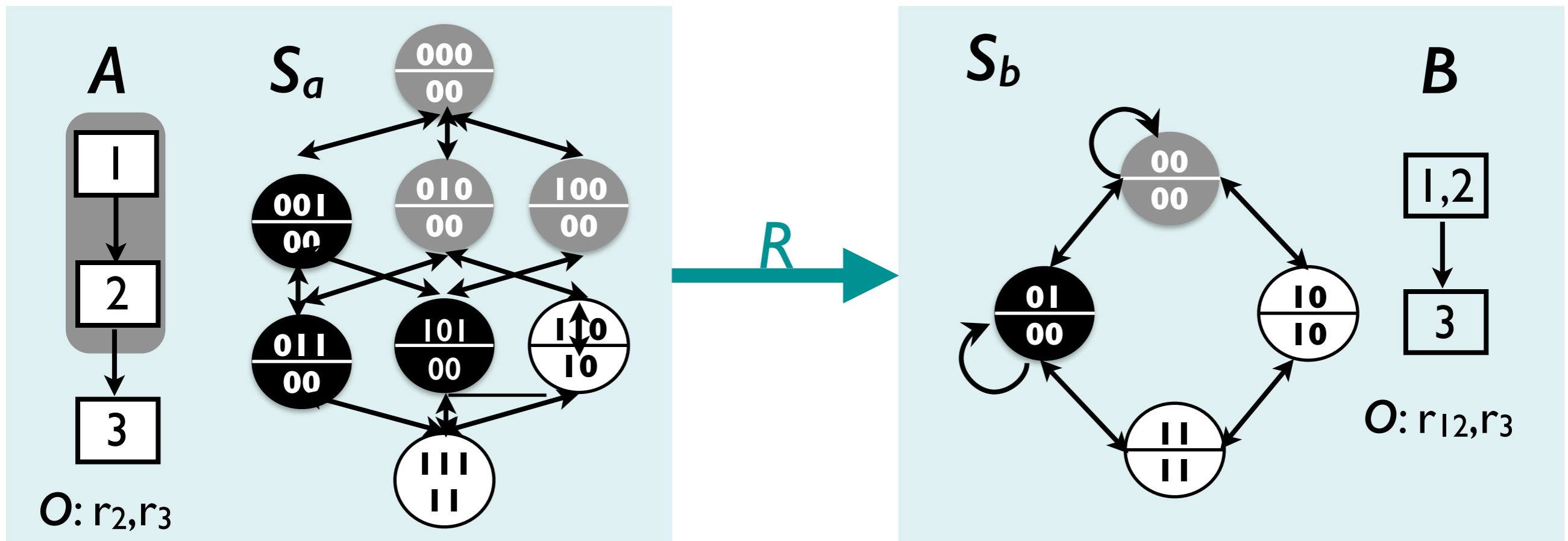
States



State transition

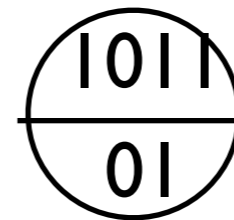
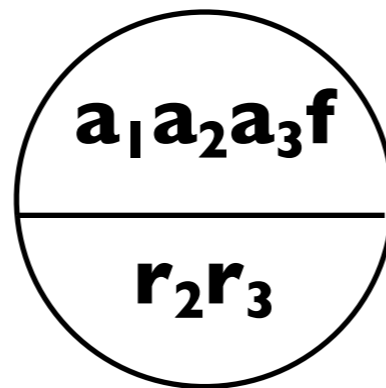
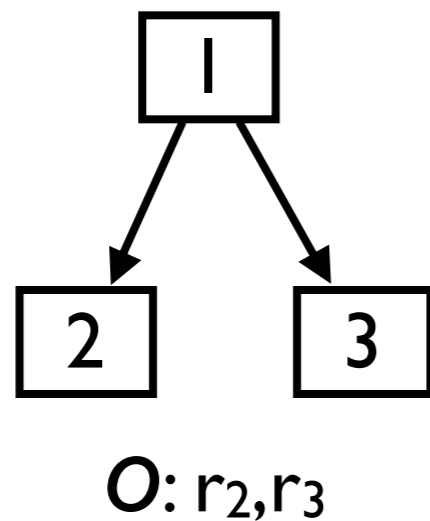
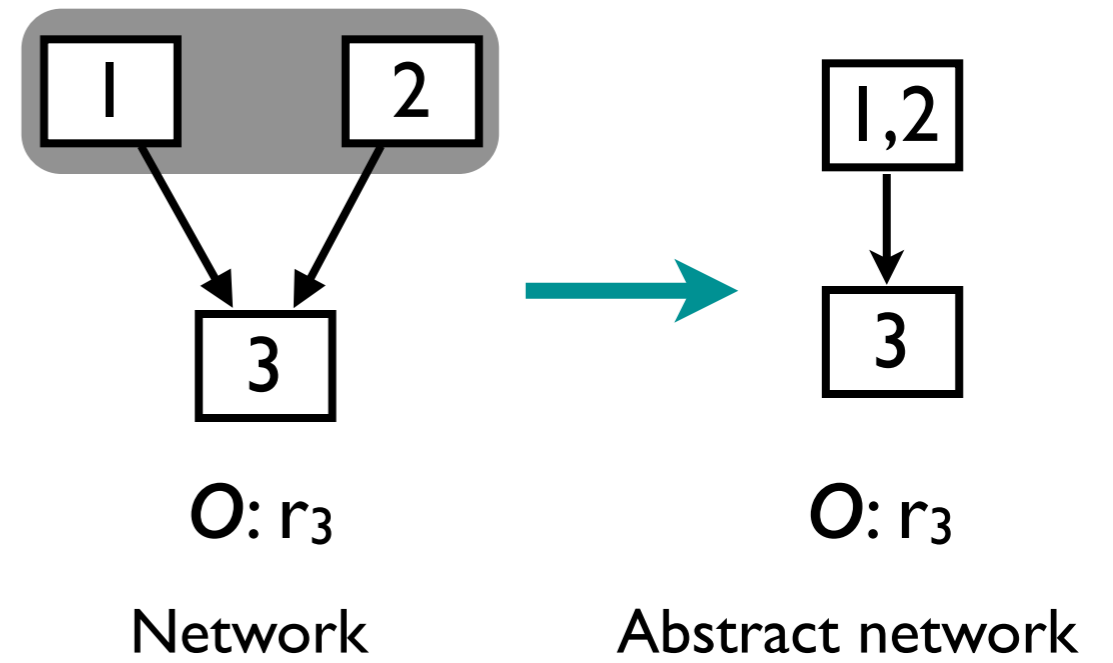
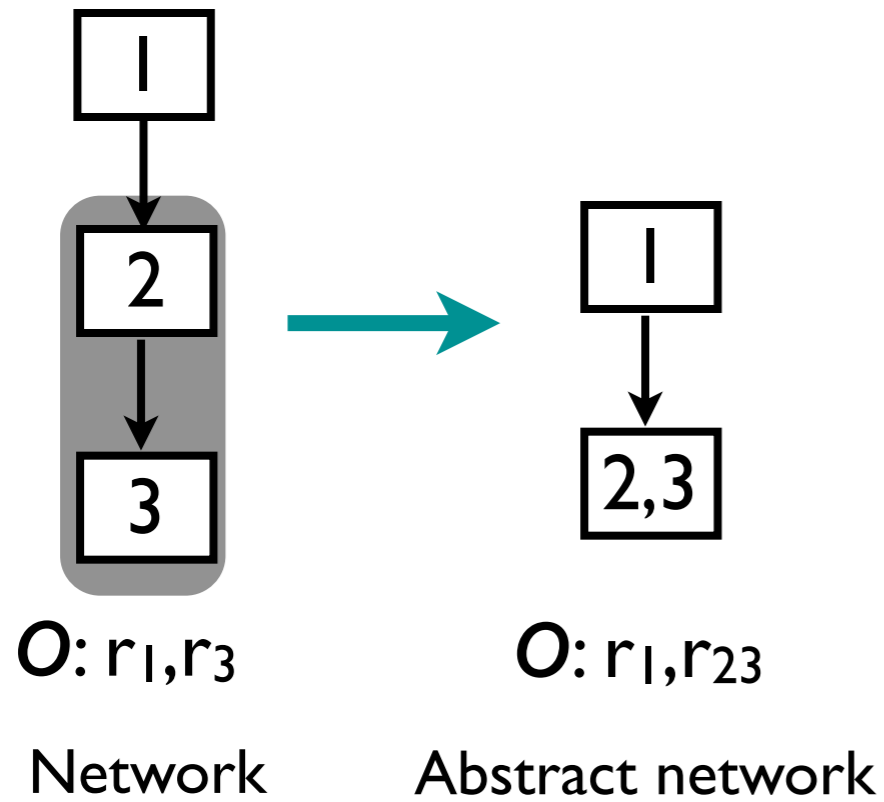
Simulation preserves synthesis property

- Simulation from S_a to S_b is a relation R that:
 - maps each $v_a \in V_a$ to some $v_b \in V_b$ with same output value
 - maps each transition $(v_a, v_a') \in T_a$ in S_a to some transition $(v_b, v_b') \in T_b$ in S_b



Theorem If S_a is simulated by S_b . Let φ be a LTL property over the output variables $O_a(O_b)$. Then, we have S_b satisfies φ implies S_a satisfies φ

More abstraction examples



No abstraction exists

Conclusion

- Construct provably correct configuration
 - Automate critical part of network management
- Formulate and solve reactive synthesis problem
 - Leverage off-the-shelf tools
- Scale by network abstraction
 - Propose network abstraction as simulation relation

Discussion

- Need killer app for synthesis
 - Look for complex network elements and properties
 - Middlebox, racing conditions, failure recovery
 - Extract properties from examples
 - Combine logical constraints and optimization goal
- Network abstraction
 - General patterns in edge configuration
 - Abstraction for composing distributed control